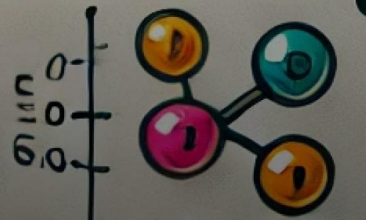


AVOGADRO'S NUMBER 6.22×10^{23}

AVOGADRO'S NUMBER 6.22×10^{23}



Structure of Atom

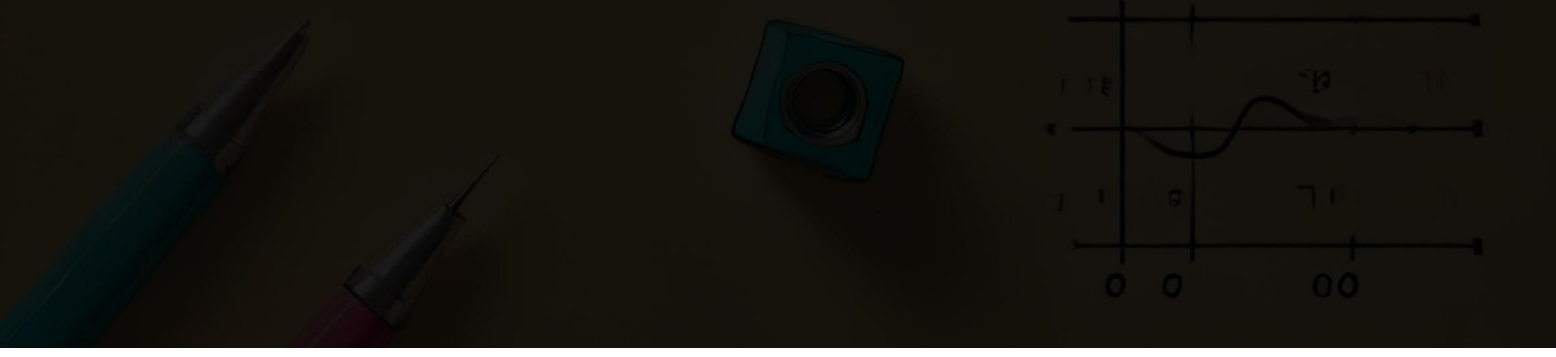
AVOGADRO'S NUMBER

AVOGADRO'S NUMBER

MOLES

MOL

MOLAR MASS MOLAR MASS N — MASS / MOLAR MASH



Structure of Atom

Page No. _____

Date _____

- ① Atomic number (Z) — Tells about e^- or No. of p
- ② Mass number (A) — Tells about No. of $n+p$ in a nucleus.

Represent $= \frac{A}{Z} \times$ No. of neutrons $= A - Z$

- ③ Isobars — same atomic number but diff mass number.
- ④ Isobars — same mass number but diff atomic number.
- ⑤ Isotones — A & $Z =$ diff but same no. of neutrons.
- ⑥ Isoelectronic — species having same no. of electrons.
- ⑦ Isodiaphers — A & $Z =$ diff but same $n-p$.
- ⑧ Isosters — species have same no. of isotopic number atoms and electrons.

⑨ • Electromagnetic waves / Nature of light → Planck's quantum Theory.

- ① Energy transmitted from one body to another body in the form of waves move with speed of light.
- ② This waves consist of both EF and MF, which is perpendicular to each other called EMR.
- ③ EMR or Radiant energy — Don't required medium, can travel in vacuum also.
- ④ Radiant energy can transfer without medium coming through waves called EMR.

Waves / Radiation



Mechanical

(medium required)



Sound Waves



Non-Mechanical

(medium not required)



EMR

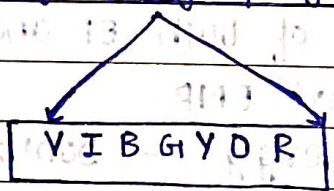


- Characteristics of waves:
 - ① wave length (λ): Distance b/w two crest or Trough.
 - ② Frequency (ν): The no. of waves which passed through a point in 1 sec.
 - ③ Wave number ($\bar{\nu}$): The no. of waves spread in a unit length
 - ④ Amplitude: The height of crest or depth of Trough.

- Electromagnetic spectrum:
 - The arrangement of various EM values with same velocity called EMS.
 - Incre. order of wavelength
 - Decr. order of frequency

① → Wavelength value increases → ②

Cosmic Rays	λ rays	X Rays	UV rays	Visible rays	IR rays	Micro waves	Radio waves	T.V waves
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① → E, ν , $\bar{\nu}$ values also decreases → ②

- Black Body - Perfect absorber and perfect emitter.

- Plank's Quantum theory:

- ① Black Body emitted or absorbed EMR or Radiant energy
 - a) discontinuously.
 - b) In the form of small packets called quanta.
 - c) which is propagated in the form of waves.

Note: If energy source is light \rightarrow called photon.

② Energy of each small packet [quantum] \propto frequency.

$$E \propto \nu$$

$$\nu = \frac{c}{\lambda}$$

$$E = h\nu$$

$n =$ No. of quanta / photons.

$$E = nh\nu$$

$n =$ No. of small energy packets.

\downarrow

So energy emitted or absorbed from one body to another is integral multiple of $h\nu$

i.e. $E_{ab/emt} = h\nu, 2h\nu, 3h\nu, 4h\nu \dots$

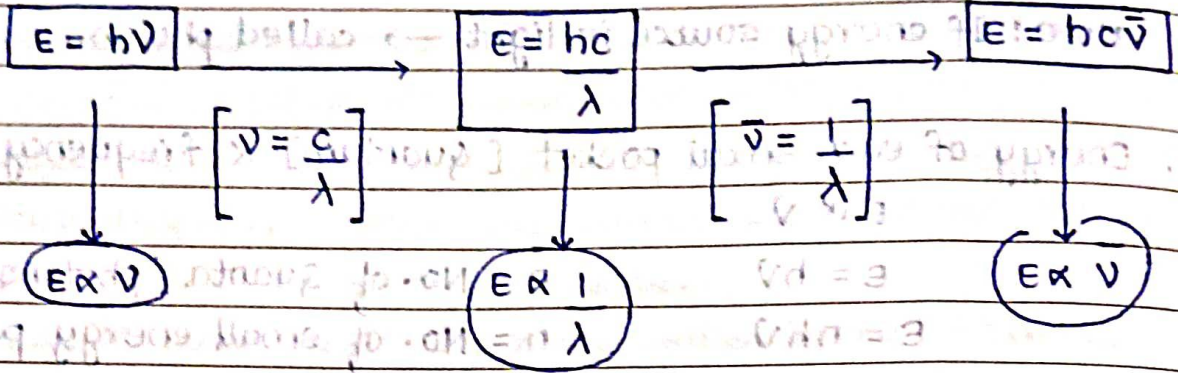
• Notes: (According to NCERT)

- ① Absorption or emission of radiation due to oscillation or vibration of charge particles in the walls of black body.
- ② $\epsilon, \nu, \bar{\nu}$ and λ values are changed / different for different EMR.
- ③ Plank suggest that atoms and molecules emit/ab radiation discontinuously in a small packets [quanta].

Note: wavelength of emitted radiation depends on its temp.
Intensity = No. of photons / quanta.

- At a given temp,
- ① Intensity of emitted radiation increases with increase wavelength, reached maximum level and then decreases.
- ② If temp increases, maxima of curve shifts to lower wavelength side.

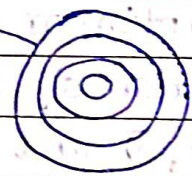
$$\frac{E_1}{E_2} = \frac{\nu_1}{\nu_2} = \frac{\nu_1}{\bar{\nu}_2} = \frac{\lambda_2}{\lambda_1}$$



	$E/K \cdot E/T \cdot E$	h	λ	$\bar{\nu}$	c
SI	J	$6.62 \times 10^{-34} \text{ J s}$	m	m^{-1}	$3 \times 10^8 \text{ m/sec}$
CGS	erg	$6.62 \times 10^{-27} \text{ erg s}$	cm	cm^{-1}	$3 \times 10^{10} \text{ cm/sec}$

• Bohr's atomic model :

① orbits/shells/main energy level / stationary level.



- $n=1 / n=K \rightarrow$ 1st shell
- $n=2 / n=L \rightarrow$ 2nd shell
- $n=3 / n=M \rightarrow$ 3rd shell.

$\Delta E = E_2 - E_1 = h\nu \rightarrow$ Energy photon / packet / quanta

② Angular momentum (mvr) = $n h$

AM of electrons in 1st shell = $\frac{1 h}{2\pi}$ or $0.5 h$

2nd shell = $\frac{2 h}{2\pi}$ or $1 h$

3rd shell = $\frac{3 h}{2\pi}$ or $1.5 h$

4th shell = $\frac{4 h}{2\pi}$ or $2 h$

③ Radius of an orbit:

$$r_n = \frac{n^2 h^2}{4\pi^2 m e^2}$$

$$- r_n = 0.529 \times n^2 \text{ \AA}$$

$$- r_n = 5.29 \times n^2 \text{ nm} \quad r_n = 0.53 \times n^2 \text{ \AA}$$

④ Energy of an electron:

$$T.E = KE + PE$$

$$E_n = -\frac{2\pi^2 m e^4}{n^2 h^2} \quad KE = e^2 \quad PE = -e^2 \quad TE = -e^2$$

$$KE = -TE \quad m = 9.1 \times 10^{-31} \text{ kg}$$

$$PE = 2TE \quad h = 6.62 \times 10^{-34} \text{ J}$$

$$* \text{ ① } E_n = -2.18 \times 10^{-18} \times z^2 \text{ J/atom}$$

$$\text{② } E_n = -2.18 \times 10^{-11} \times z^2 \text{ erg/atom} \quad \text{energy difference between two shells}$$

$$\text{③ } E_n = -1312 \times z^2 \text{ kJ/mole.}$$

$$* \text{ ④ } E_n = -13.6 \times z^2 \text{ eV/atom.}$$

$$\Delta E = 2 \times 10^{-18} \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right] z^2 \text{ J}$$

$$\text{⑤ } E_n = -313.6 \times z^2 \text{ kcal/mole.}$$

$$\Delta E = 13.6 \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right] z^2 \text{ eV}$$

$$\text{① } n=1 \quad -13.6 \text{ eV} \quad \text{④ } n=4 \quad -0.85 \text{ eV}$$

$$\text{② } n=2 \quad -3.4 \text{ eV} \quad \text{⑤ } n=5 \quad -0.53 \text{ eV}$$

$$\text{③ } n=3 \quad -1.51 \text{ eV} \quad \text{⑥ } n=6 \quad -0.38 \text{ eV}$$

- Hydrogen spectrum:
 - H₂ gas kept in a discharge tube apply high voltage 10,000 V and low temp and pressure (0.01 atm).
 - Radiation coming (energy released)
 - Some energy used to become H₂ molecules to H-atoms.
 - Remaining energy absorbed by electrons in H.

- Note:
 - All electrons can't absorb same energy.
 - electrons absorb energy and jump to diff. excited states but at excited state electrons are unstable so they return to ground state in a single step or multiple steps.

Series	Region	n ₁	1st line
Lyman	UV	1	H α
Balmer	visible	2	H β
Paschen	Near IR	3	H γ
Brackett	IR	4	Limiting line
Pfund	FAR IR	5	Limiting line

Rydberg's eq:
$$\bar{\nu} = R \left[\frac{1}{n_1^2} - \frac{1}{n_2^2} \right] z^2$$

$$R = 109678 \text{ cm}^{-1}$$

$$R = 1.1 \times 10^5 \text{ cm}^{-1}$$

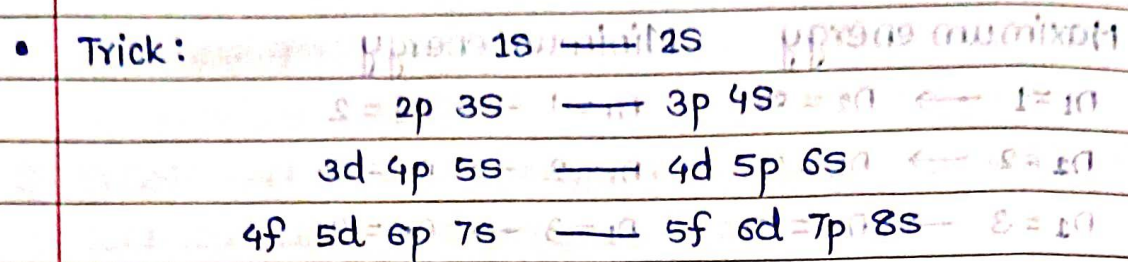
$$R = -1.1 \times 10^7 \text{ m}^{-1}$$

- Trick: No. of spectral lines: $E_n = E_{n_2} - E_{n_1}$
- λ longest = λ maxi = λ high $\Rightarrow E$ mini ν mini $\bar{\nu}$ mini
- λ shortest = λ mini = λ low $\Rightarrow E$ max ν max $\bar{\nu}$ max

Maximum energy	Minimum energy
$n_1 = 1 \rightarrow n_2 = \infty$	$n_1 = 1 \rightarrow n_2 = 2$
$n_1 = 2 \rightarrow n_2 = \infty$	$n_1 = 2 \rightarrow n_2 = 3$
$n_1 = 3 \rightarrow n_2 = \infty$	$n_1 = 3 \rightarrow n_2 = 4$

Notes:

- ① $P \cdot q \cdot n \rightarrow$ AM of an e^- $mvr = n h / 2\pi$
- $A \cdot q \cdot n \rightarrow$ AM of an orbital $mvr = \sqrt{l(l+1)} h / 2\pi$
- ② Maximum no. of electrons in a shell = $2n^2$
- ③ $l = 0 \rightarrow$ s-subshell (spherically symmetrical)
- $l = 1 \rightarrow$ p-subshell (Dumb-bell)
- $l = 2 \rightarrow$ d-subshell (Double dumb-bell)
- $l = 3 \rightarrow$ f-subshell (complex)
- ④ no. of subshells in a shell = n . $n \rightarrow$ size of orbit
- ⑤ l values from 0 to $(n-1)$. $l \rightarrow$ shape of subshell
- $n = 1 \rightarrow l = 0 \rightarrow 1s$
- $n = 2 \rightarrow l = 0, 1 \rightarrow 2s, 2p$
- $n = 3 \rightarrow l = 0, 1, 2 \rightarrow 3s, 3p, 3d$
- $n = 4 \rightarrow l = 0, 1, 2, 3 \rightarrow 4s, 4p, 4d, 4f$
- ⑥ No. of orbitals in a subshell = $(2l+1)$ $s = 1 (2e^-)$
- ⑦ No of orbitals in a shell = n^2 . $p = 3 (6e^-)$
- ⑧ m values = $-l \dots 0 \dots +l$ $d = 5 (10e^-)$
- $l = 0 \rightarrow m = 0$ $f = 7 (14e^-)$
- $l = 1 \rightarrow m = -1, 0, +1$
- $l = 2 \rightarrow m = -2, -1, 0, +1, +2$ $s (l=0) \rightarrow m = 0$
- $l = 3 \rightarrow m = -3, -2, -1, 0, +1, +2, +3$ $p (l=1) \rightarrow P_x, P_y, P_z$
- $d (l=2) \rightarrow dx^2-y^2, dz^2, dxy, dyz, dzx$

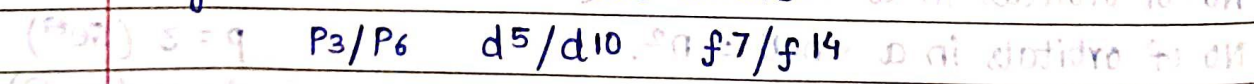


- I. Aufbau - electrons must enter into lower energy - Higher energy.
- Energy of orbitals calculate by $(n+l)$ value.
 - ① Lower $(n+l)$ value → lower energy
 - ② Higher $(n+l)$ value - Higher energy
 - ③ If $(n+l)$ value is same → lower n value - lower energy

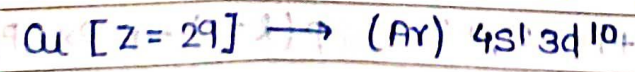
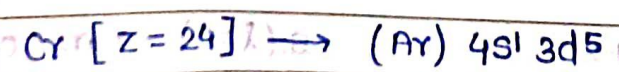
II. Hund's rule: In de-generated orbitals, orbitals first filled with single e^- with same spin and then pairing will takes place.

III. Pauli's Exclusion principle: Each orbital filled with 2 electrons with opposite spin. These $2e^-$ have different 4 quantum number.

- According to Hund's rule, Half-Filled or Full-filled degenerated orbitals are stable.



According to A, H, P rules, anomalous E.C of Cr and Cu

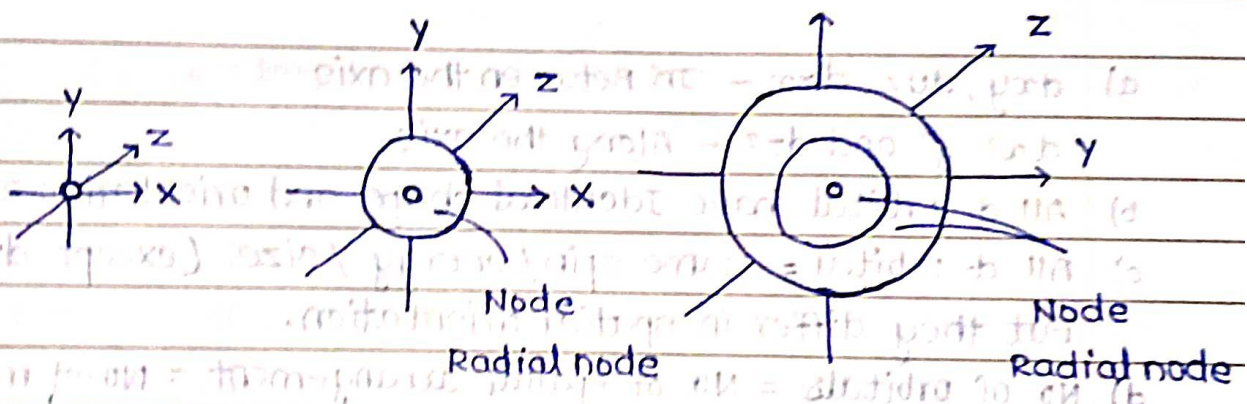


Orbital - where maximum probability of finding electrons (95%)
Node - The point where P.F. $e^{\theta} = 0$ $[n-1]$

Spherical / Radial node: The spherical space around nucleus
where P.F. $e^{\theta} = 0$ $[n-l-1]$

Angular node / nodal plane: The plane where P.F. $e^{\theta} = 0$ $[l]$

- s-orbital
 - ① For s-orbitals $l=0$, $n=1,2,3,4,\dots$, $m=0$
 - ② s-orbital = spherically symmetrical and non-directional
 - ③ P.F. e^{θ} symmetrically distributed along x, y, z-axis.
 - ④ It has only radial nodes.



- P-orbital:
 - ① For p-orbital $l=1$, $n=2,3,4,\dots$, $m=-1,0,+1$
 - ② P-orbital = dumb-bell shape / directional nature.
 - ③ Orbital Maximum e^{θ} density Nodal plane

P_x along x-axis
 P_y along y-axis
 P_z along z-axis

- ④ $2P_x, 2P_y, 2P_z$ orbitals \rightarrow

same shape	} differ in spatial arrangement.
same size	
same energy	
same spin	

⑤ No. of orbitals = No. of spatial arrangement = no. of m values = 3

- d-orbitals:
 - ① For d-orbitals $l = 2$ $n = 3, 4, 5$ $m = -2, -1, 0, +1, +2$
 - ② Each d-subshell having 5 degenerated orbitals.
 - ③ Each d-orbital = 4 lobes / double dumb-bell except d_{z^2} orbital

d_{xy} 45° to x and y axis xy, yz

d_{yz} 45° to y and z axis. xy, xz

d_{zx} 45° to x and z axis. xy, yz

$d_{x^2-y^2}$ Along x and y axis xz, yz

d_{z^2} along x, y, z axis. No nodal plane

a) d_{xy}, d_{yz}, d_{zx} - In Between the axis

$d_{x^2-y^2}$ and d_{z^2} - Along the axis.

b) All d-orbital have Identical shape and orientation except d_{z^2}

c) All d-orbital = same spin / energy / size (except d_{z^2})
But they differ in spatial orientation.

d) No. of orbitals = No. of spatial arrangement = No. of m values = 5

- De-Broglie's wave nature concept: $\lambda = \frac{h}{mv}$

① Like EMR, All micro or macroscopic particles also having dual nature

② Means just like photons \rightarrow microscopic particle also having wave and particle nature.

③ The wave associated with particle called De-Broglie's wave or matter waves.

④ Every object in motion have wave nature — observed / seen in microscopic particles

— Not seen in

macroscopic particles

⑥ Any moving matter particles has λ and $P \rightarrow \lambda = \frac{h}{P}$

$P = mv$

$I = \int \lambda de \propto I$ ← $\lambda de = \frac{h}{mv}$

• $\lambda = \frac{h}{P}$ $\lambda = \frac{h}{mv}$ • $v = \sqrt{\frac{2KE}{m}}$

$\frac{\lambda_1}{\lambda_2} = \frac{m_2 v_2}{m_1 v_1}$ $\lambda = \frac{h}{\sqrt{2mK \cdot E}}$

• $\lambda = \frac{h}{\sqrt{2meV}}$

$\lambda \propto \frac{1}{\sqrt{KE}}$

$\frac{\lambda_1}{\lambda_2} = \sqrt{\frac{m_2 \cdot KE_2}{m_1 \cdot KE_1}}$

(i) For $e^- = \lambda = 12.26 \text{ \AA}$
 $d = \frac{a}{\sqrt{V}}$

(ii) For $p = \lambda = 0.286 \text{ \AA}$
 $d = \frac{a}{\sqrt{V}}$

• Constructive Interference
 $2\pi x = n\lambda$

(iii) For $\alpha = \lambda = 0.101 \text{ \AA}$
 $d = \frac{a}{\sqrt{V}}$

Destructive Interference
 $2\pi x \neq n\lambda$

• No. of waves made by the e^- in a shell = n .

• Heisenberg Uncertainty principle:

- ① It is impossible to determine both position and momentum of e^- simultaneously and accurately.
- ② H.U.P — Rules out existence of definite path / trajectories of e^- and other similar particles.
- ③ H.U.P — Only meant for microscopic particles like $e^-, p, n, \alpha \dots$

$$\Delta x \cdot \Delta p \geq \frac{h}{4\pi}$$

$h = 6.626 \times 10^{-34} \text{ J}\cdot\text{s}$
 $\frac{h}{4\pi} = 0.52 \times 10^{-27} \text{ erg}$

$$\Delta x \cdot \Delta p = \frac{h}{4\pi}$$

$$\Delta x \cdot m \Delta v = \frac{h}{4\pi} \implies \Delta x_1 \cdot m_1 \Delta v_1 = \frac{h}{4\pi}$$

$$\Delta x_1 = \frac{m_2 \Delta v_2}{m_1}$$

$$\Delta x_2 = \frac{m_1 \Delta v_1}{m_2}$$

$$\Delta v_1 = \frac{m_2 \Delta x_2}{m_1}$$

$$\Delta v_2 = \frac{m_1 \Delta x_1}{m_2}$$

- ① Δx = Uncertainty in position
 Δx = radius \times error/accuracy.
- ② Δv = Uncertainty in velocity
 Δv = Actual velocity \times error/accuracy

Note: $\Delta x \cdot \Delta p = \frac{h}{4\pi}$

If $\Delta x = \Delta p$

$$(\Delta x)^2 = \frac{h}{4\pi}$$

$$\Delta x = \sqrt{\frac{h}{4\pi}}$$

$$\Delta x = \frac{1}{2} \sqrt{\frac{h}{\pi}}$$

$$\Delta p = \frac{1}{2} \sqrt{\frac{h}{\pi}}$$

$$(\Delta p)^2 = \frac{h}{4\pi}$$

$$(\Delta v)^2 = \frac{h}{4\pi m^2}$$

$$\Delta v = \sqrt{\frac{h}{4 \cdot m^2 \cdot \pi}}$$

$$\Delta v = \frac{1}{2m} \sqrt{\frac{h}{\pi}}$$